

How to use BaseMatrix and BaseVector.

A way to store, centralize and manipulate mechanical data in solvers

At that time, we have chosen to store the mechanical global matrices and vectors in OdeSolvers. The interface required to use a specific matrix library as a SOFA mechanical matrix is basic. You just need to overload:

- a resize method
- a dimension accessor
- a way to read / write floating point data corresponding to indices.

This interface is described in the following UML diagram. This diagram represents a way to use the NewMat library dense Matrix and Vector. The resolution methods are implemented in the Matrix implementation class, where we know precisely the kind of data we are manipulating.

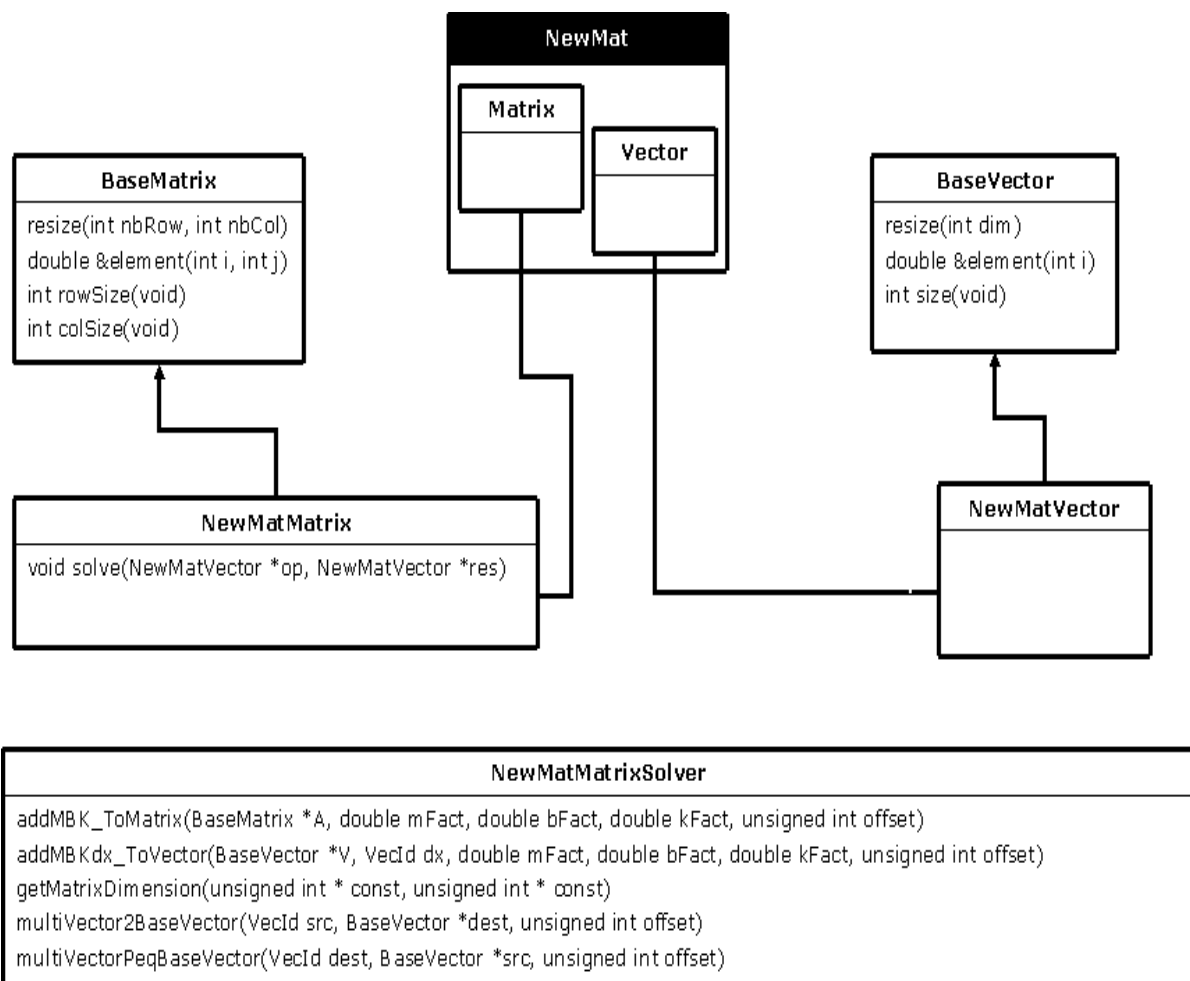


Illustration 1: UML Diagram of the NewMat Library SOFA Interface for Dense Matrices

As shown in illustration 1, **BaseMatrix** and **BaseVector** are currently managed by 5 methods in the solver:

getMatrixDimension returns the global matrix dimension of the mechanical system described in the OdeSolver sub-tree.

addMBK_ToMatrix and **addMBKdx_ToVector** allow the “mechanical components” to bring their contribution respectively to the **BaseMatrix** and **BaseVector**. A scalar factor for the mass, the damping and the stiffness is available to parametrize the components contribution.

multiVector2BaseVector is used to create a **BaseVector** corresponding to an abstract **multiVector**.

multiVectorPegBaseVector is used to add a **BaseVector** to a **multiVector**. Basically when you are computing $dx = K^{-1} * f$, it allows you to apply easily the solution to the position **multiVector**.

The corresponding interfaces in the mechanical components are the following:

BaseMass

```
addMToMatrix(BaseMatrix * mat, double mFact, unsigned int offset)
addMDxToVector(BaseVector * resVect, const VecDeriv& dx, double mFact, unsigned int offset)
```

BaseForceField

```
addKToMatrix(BaseMatrix * mat, double kFact, unsigned int offset)
addKDxToVector(BaseVector * resVect, const VecDeriv& dx, double kFact, unsigned int offset)
```

BaseConstraint

```
applyConstraint(BaseMatrix *mat, unsigned int offset)
applyConstraint(defaultttype::BaseVector *vect, unsigned int offset)
```

The offset parameter gives the beginning of the current block in the matrix. The offset update is made automatically by the **MechanicalMatrixVisitor**.

A concrete example :

The Static Resolution of a tetrahedron FEM using MKL dense Matrices

Currently, we have 2 static solvers using dense matrices in SOFA. An MKL Sparse Matrix Solver will come very soon. These 2 solvers are implementing the same integration and resolution method. One is using a **BaseMatrix** implementation based on the NewMat Library, the other on the MKL.

For the MKL, here is the code for the Matrix. Data is stored in a **Dynamic_Matrix<double>** (an homemade Class chosen for its efficiency). The element method is specific for the MKL resolution method **dgesv**. Indeed, this method needs the transposed Matrix to solve the system $Ax=b$, so here the **element()** method access the data in a “transposing way”.

```
class MKLMatrix : public BaseMatrix
{
public:

    MKLMatrix() { impl = new Dynamic_Matrix<double>; }

    virtual ~MKLMatrix() { delete impl; }

    virtual void resize(int nbRow, int nbCol) { impl->resize(nbRow, nbCol); }

    virtual int rowSize(void) { return impl->rows; }

    virtual int colSize(void) { return impl->columns; }

    virtual double &element(int i, int j) { return *(impl->operator[] (j) + i); }

    virtual void solve(MKLVector *rHTerm)
    {
        int n=impl->rows;
        int nrhs=1;
        int lda = n;
        int ldb = n;
    }
}
```

```

        int info;
        int *ipiv = new int[n];

        // solve Ax=b
        // b is overwritten by the linear system solution
        dgesv(&n,&nrhs,impl->m,&lدا,ipiv,rHTerm->impl->v,&lدا,&info);
    }

private:
    Dynamic_Matrix<double> *impl;
};

```

Then the solver code. In this example, we wanted to have exclusively the stiffness in the global matrix and the external forces in the global vector (basically the Weight). You can see in the TetrahedronFemForceField the implementation of addKToMatrix and in UniformMass, the addMDxToVector method.

```

MKLSolver::MKLSolver()
{
    globalStiffnessMatrix = new MKLMatrix();
    externalForcesGlobalVector = new MKLVector();

    updateMatrix = true;

    nbRow = 0;
    nbCol = 0;
}

MKLSolver::~MKLSolver()
{
    delete globalStiffnessMatrix;
    delete externalForcesGlobalVector;
}

void MKLSolver::solve(double dt)
{
    OdeSolver* group = this;
    MultiVector f(group, VecId::force());
    MultiVector pos(group, VecId::position());
    MultiVector dx(group, VecId::null());

    if (this->updateMatrix)
    {
        getMatrixDimension(&nbRow, &nbCol);
        globalStiffnessMatrix->resize(nbRow, nbCol);
        externalForcesGlobalVector->resize(nbRow);
        /* Compute and assemble the global "Mechanical" Matrix threw forcefield,
        masses... Then applies baseConstraints such as fixed point constraints */
        addMBK_ToMatrix(globalStiffnessMatrix,0,0,1);

        /* Compute and assemble the global "Mechanical" Vector threw forcefield,
        masses... Then applies baseConstraints such as fixed point constraints */
        addMBKdx_ToVector(externalForcesGlobalVector,dx,1,0,0);

        /* Solve dx = Fext / K */
        globalStiffnessMatrix->solve(externalForcesGlobalVector);

        /* Update position using the solver result */
        multiVectorPeqBaseVector(pos, externalForcesGlobalVector);

        /* This solver is static and should be solved only one time */
        updateMatrix = false;
    }
}

```

Hope this helps...